

7	Cylinder A and cylinder B have the same volume.			
	 Cylinder A has a diameter of 12 cm and a height of 7 cm. 			
	Cylinder B has a diameter of 10 cm.	4		
	Calculate the height of cylinder B			
8	A health food shop produces probiotic capsules for its customers. Each capsule is in the shape of a cylinder with hemispherical ends as show below. 12 mm			
	8 mm			
	The length of the cylinder part is 12 millimetres and the diameter of the bemispheres is 8mm. Calculate the volume of one cansule			
	Give your answer correct to 2 significant figures.	5		
	25 marks			

	Volume – Answers			
	These answers use π , if you use 3.14 your answer will still be valid.			
	Failing to round or state the correct units automatically a mark, but this will only be			
	taken off once. If you always forget to round you will not lose 7 marks!			
1	Mark 1 Substitute into the correct formula	$V = \pi \times 9^2 \times 5$	2	
	Mark 2 Calculate the answer correctly rounded answer with units	V = 1272.34		
		Volume is 1272 cm ³		
2	Mark 1 Substitute the radius into the correct formula	$V = \pi \times 1.2^2 \times 3.3$	3	
2	Mark 2 Calculate the answer	$V = 14.928848 \dots$	5	
	Mark 3 Correctly rounded answer with units	Volume is $15 m^3$		
		2		
	Lose one mark for using the diameter (2.4 m) instead of the radius $(V = 57.915 = 60 m^3)$			
3	Mark 1 Substitute into the correct formula	$V = \frac{1}{2} \times \pi \times 4^2 \times 10$	2	
	Mark 2 Calculate the answer correctly rounded answer with units	$V = 167.5516 \dots$		
		Volume is 168 cm ³		
4	Mark 1 Substitute the radius into the correct formula	$V = \frac{1}{3} \times \pi \times 1.4^2 \times 3.2$	3	
	Mark 2 Calculate the answer	$V = 6.56802 \dots$		
	Mark 3 Correctly rounded answer with units	Volume is 6.6 <i>m</i> ³		
	Lose one mark for using the diameter (2.8) instead of the radius ($V = 26.27 = 26.3 m^{\circ}$)			
5	Mark 1 Substitute the radius into the correct formula	$V = \frac{4}{2} \times \pi \times 3^3$	3	
	Mark 2 Calculate the answer	$V = 113.0973355 \dots$		
	Mark 3 Correctly rounded answer with units	Volume is 100 <i>cm</i> ³		
	Less one mark for using the diameter (6 cm) instead of the radius $(V - 0.04.7780) - 0.00 \text{ cm}^3$			
	Lose one mark for using the diameter (6 cm) instead of the radius $(V = 904.7789 = 900 \text{ cm}^3)$			
	Lose one mark for squaring the radius $(v = \frac{1}{3} \times \pi \times 3^2 = 37.699 = 38 \text{ cm}^2)$			
6	Mark 1 Substitute into the formula for a hemi-sphere	$V = \frac{1}{2} \times \frac{4}{2} \times \pi \times 20^3$	3	
	Mark 2 Calculate the answer	$V = \frac{2}{16755.16082}$		
	Mark 3 Correctly rounded answer with units	Volume is 17000 <i>cm</i> ³		
	Lose one mark for using the diameter (50) instead of the radius $(V = 261799 = 260000 m^3)$			
	Lose one mark for squaring the radius $(V = \frac{1}{2} \times \frac{1}{3} \times \pi \times 20^2 = 837.758 = 840 \text{ cm}^3)$			
	Lose one mark for finding the volume of the sphere $(V = \frac{4}{3} \times \pi \times 20^3 = 33510.32 = 34000 \text{ cm}^3)$			
7	Mark 1 Substitute the radius into the correct formula	$V = \pi \times 6^2 \times 7$		
	Mark 2 Calculate the answer	V = 791.68		
	Mark 3 Show that the volume of both cylinders are equal	$V_A = V_B$ 791.68 - $\pi \times 5^2 \times hoight$		
	Nark 4 Find the height of cylinder B Height is 791	$68 \div 25\pi = 10 cm$		
	Lose one mark for using the diameters – V_A = 3166.7, $height$ = 31667 \div 100 π = 10 cm			

 $V_{sphere} = \frac{4}{3} \times \pi \times 4^{3}$ $V_{cylinder} = \pi \times 4^{2} \times 12$ 8 5 Mark 1 Find the volume of sphere Mark 2 Find the volume of the cylinder Mark 3 Know that the volume of the capsule is found by addition $V_{sphere} + V_{cylinder}$ Mark 4 Carry out all calculations correctly, give all your answers in unrounded form where possible $V_{sphere} = 268.083 \dots$, $V_{cylinder} = 603.186 \dots$, $V_{capsule} = V_{sphere} + V_{cylinder} = 871.269...$ Mark 5 Correctly rounded answer with units $V = 870 \ mm^3$ You can lose one mark for: Using the diameter of 8 cm rather than the radius of 4cm $(4557.4 \dots mm^3)$ • • Rounding too early in your calculations